Structured representations of human robot collaborative action

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Modeling structured activity to support human-robot collaboration in the presence of task and sensor uncertainty

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Modeling **structured activity** in the presence of **task and sensor uncertainty** to support **human-robot collaboration**

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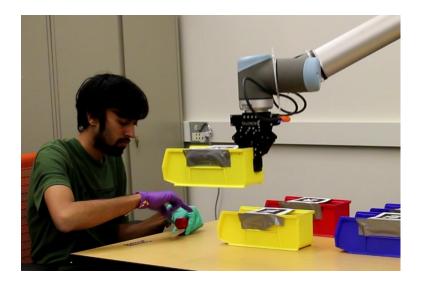


Anticipating the actions of humans

 Goal: Anticipate the actions of humans such that a robot can anticipate the needs of the human to provide assistance when needed – no waiting.

A challenge because:

- Human collaborator doesn't do same thing every time, even in assembly situations
- 2. The rate at which they do it varies
- 3. Perception is (usually) an uncertain business
- 4. Robots take time to do things *(way too much time)*

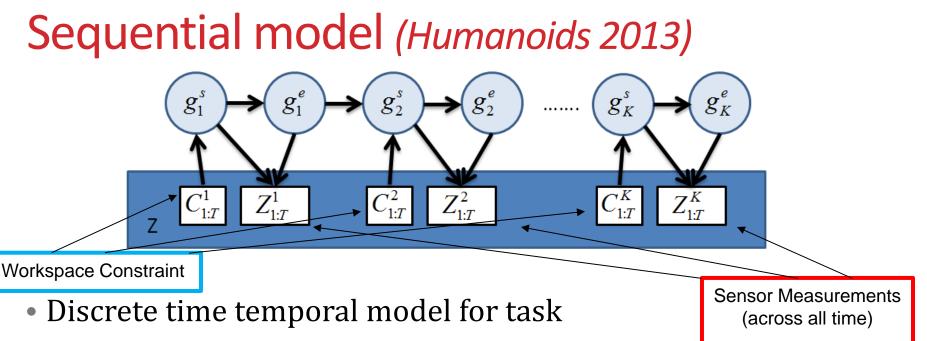


- 1. Compile **structured representations** of activity into **probabilistic** system for reasoning about task and timing
 - The variables of interest: the stop and end time of **sub-actions**
- 2. Learn from (very small amounts of) data:
 - Duration models of sub-actions
 - Likelihood of branches in activity
 - **Perceptual detectors** that encode (noisy) information about the human performance (or start and end) of actions
- 3. At every time step, perform inference on *all* actions.
- 4. Make **plans** based upon probabilistic assessment of what actions will be done and when Minimize an HRI cost.

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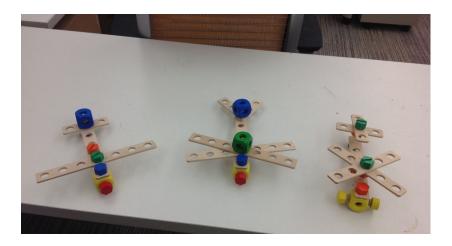
- Duration model: $P(g_k^e | g_k^s) \propto D_k(g_k^e g_k^s)$
- Sensor model: $P(Z^k | g_k^s, g_k^e)_{\{1:T\}}$ (non-informative future)
- Inference model (basic chain):

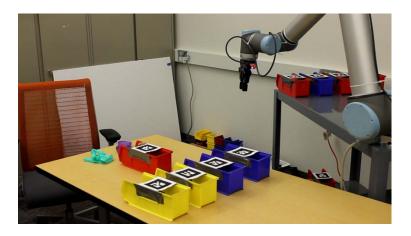
$$P(g,Z) = \prod_{k=1}^{K} P(g_{k}^{s} | g_{k-1}^{e}) P(g_{k}^{e} | g_{k}^{s}) P(Z^{k} | g_{k}^{s}, g_{k}^{e})$$

 At every moment in time can infer the distribution of all the sub-tasks start and end times

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Our domain







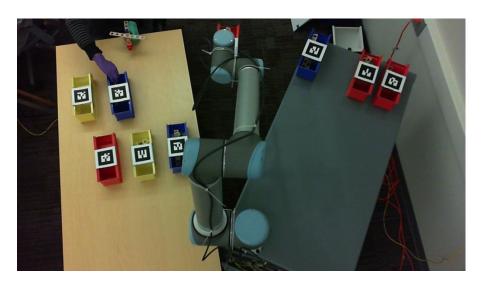
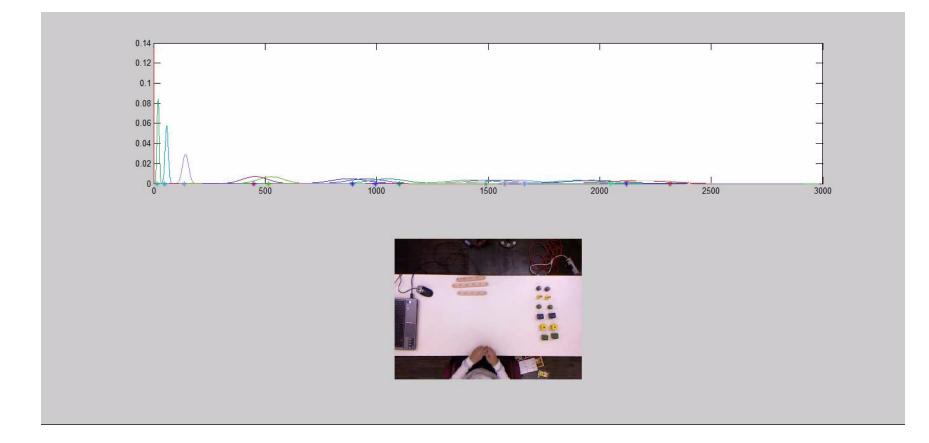
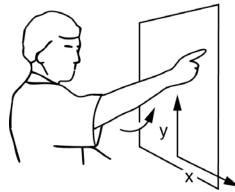


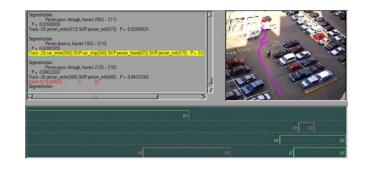
Illustration of inference

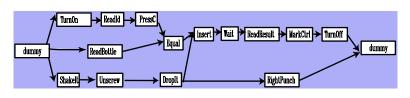


A very brief history of some of our computer vision work...

- Parametric HMMs for "structured" gesture recognition
 - Coupled parametric modeling with graphical model inference
- Stochastic Context Free Grammar based representation and parsing
 - Richly expressive for activity description
 - Easy to build higher level activity from reused low level vocabulary.
- P-Net (Propagation nets)
 - Focused on *intervals*
 - Specify the structure with some annotation can *learn detectors and triggering probabilities*

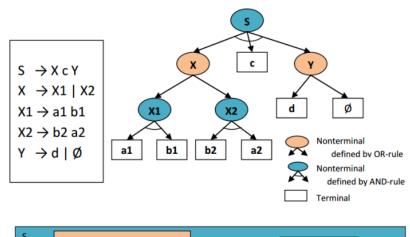


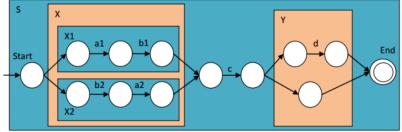




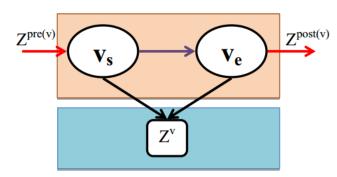
Grammars: More interesting task descriptions

- First do "a" and "b" in any order, then do "c" and optionally then do "d"
- Can be written as a (trivial) grammar:
 S → (a b | b a) c (d | ø)
- An AND-OR tree that expresses temporal ordering and selection

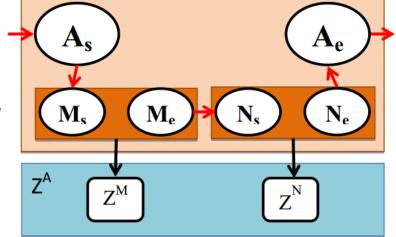




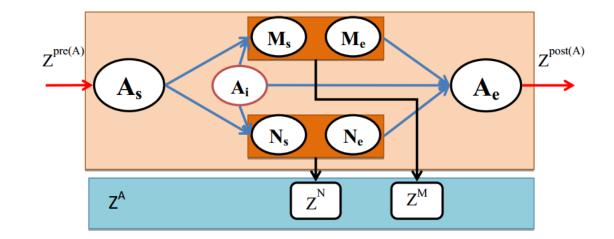
From AND-OR to Bayes Networks (ICRA '2014)



AND: **A** -> **MN**



Primitive action **v**



OR: **A** -> **M** | **N**

Some gratuitous math...

The input include: (1) $P(\exists S)$: the prior probability of S happening, (2) $P(S_s|\exists S)$: The prior probability of the start of S, (3) $P(Z^{end}|S_e, \exists S)$: the likelihood representing the constraint on the end of S, and (4) the CPT $P(A_e|A_s)$ and $P(Z^A|A_s, A_e)$ for all primitive action A (recall that our random variables have discrete values between 1 and T. The special value $A_s = A_e = -1$ means $\exists A$, the case where the action A happens)

Step 1, Forward phase: Given $P(A_s, Z^{pre(A)}|\exists A)$, one can compute $P(A_e, Z^{pre(A),A}|\exists A)$ for every action A (where $Z^{pre(A)}$ stands for the observation of all actions happening before A). If A is a primitive action, then compute the joint $P(A_s, A_e, Z^{pre(A),A}|\exists A)$ and perform marginalization. If A is defined as M AND N, then recursively compute $P(M_e, Z^{pre(A),M}|\exists M)$ and $P(N_e, Z^{pre(A),M,N}|\exists N)$ then we have the distribution of A_e the same as N_e . On the other hand if A is defined as M OR N, then the distribution of A_e will be weighted combination of M_e and N_e according to equation 3.

The forward process starts with $P(S_s|\exists S)$ and recursively compute $P(A_s, Z^{pre(A)}|\exists A)$, $P(A_e, Z^{pre(A),A}|\exists A)$ for every action A

Step 2, Backward phase: similarly, this process starts with $P(Z^{end}|S_e, \exists S)$ and recursively compute $P(Z^{post(A)}|A_e, \exists A), P(Z^{A,post(A)}|A_s, \exists A)$ for every action A (here $Z^{post(A)}$ stands for observation of all actions happening after A).

Step 3, compute the posteriors: this is done simply by multiplying the forward and backward messages, we obtain $P(A_s, Z | \exists A)$ and $P(A_e, Z | \exists A)$ for every action A. Additionally we can have $P(Z) = \sum_{t>0} P(S_s = t, Z)$

Step 4, compute the posterior probabilities of an action happening: starting with $P(\exists S|Z) = P(\exists S) = 1$, evaluate $P(\exists A|Z)$ for every symbol A recursively.

Given S is defined as A AND B, then $P(\exists A|Z) = P(\exists B|Z) = P(\exists S|Z)$.

Given S is defined as A OR B, one can compute (apply similar formulas for B):

$$P(\exists A|Z) = P(\exists S|Z) \frac{P(\exists A, Z|\exists S)}{P(\exists A, Z|\exists S) + P(\exists B, Z|\exists S)}$$
(1)

where $P(\exists A, Z | \exists S)$ can be calculated:

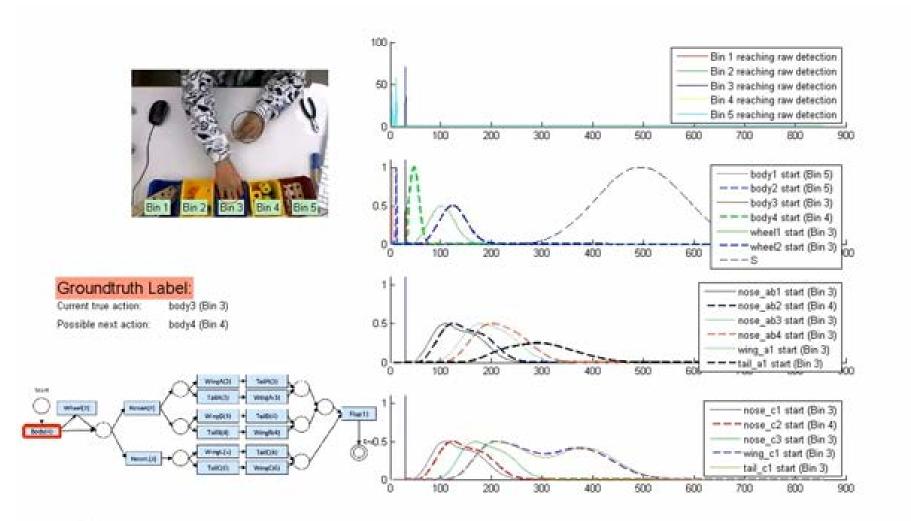
$$P(\exists A, Z | \exists S) = P(\exists A | \exists S) \sum_{t>0} P(A_e = t, Z | \exists A)$$
 (2)

Output: the probability of action A happening $P(\exists A|Z)$, and if that the case, the distribution of the start and end $P(A_s, Z|\exists A)$, $P(A_e, Z|\exists A)$. We can compute:

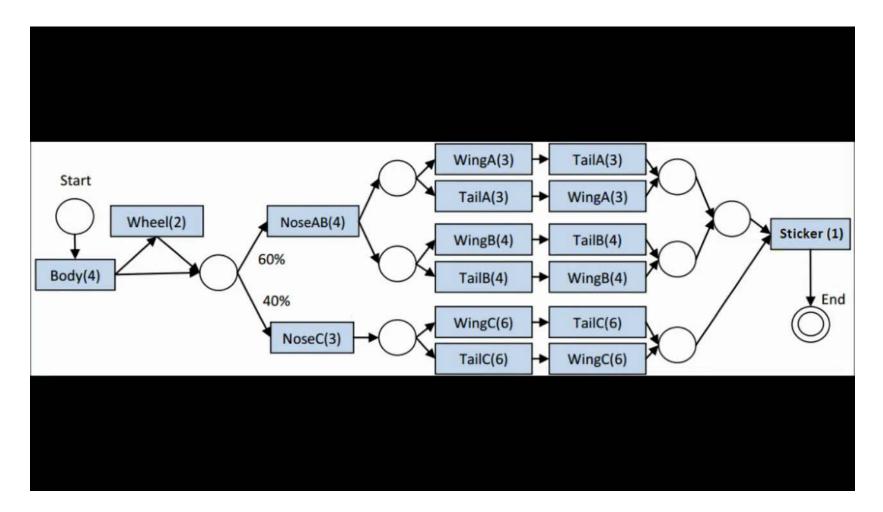
$$P(A_s|Z) = P(\exists A|Z) \frac{P(A_s, Z|\exists A)}{\sum_{t>0} P(A_s = t, Z|\exists A)}$$
(3)

for values between 1 and T. Note that $P(A_s = -1|Z) = P(!A|Z) = 1 - P(\exists A|Z)$.

Evolving prediction uncertainty



Parsing (only) video (and more CVPR 2014)



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Back to robotics...

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Given timing distributions, we need a plan

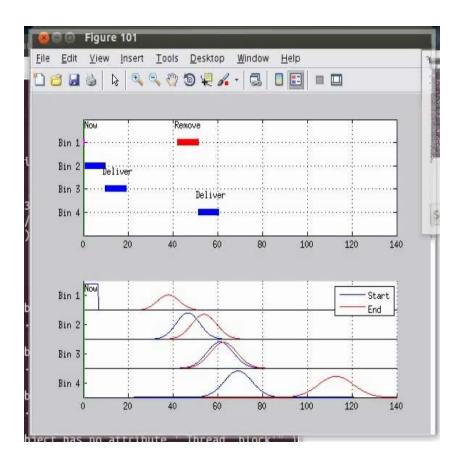
 Two sources of "cost": remove a bin early, deliver a bin late. Can be condensed to function of individual wait times:

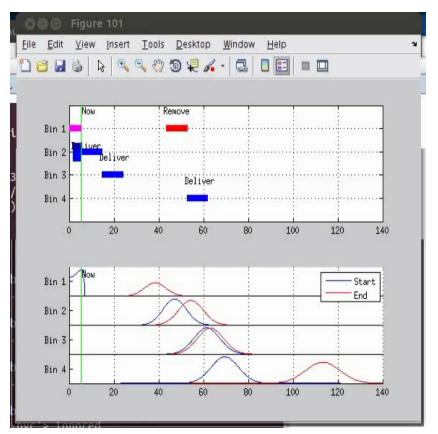
$$C = \sum_{i} \Psi(w_{i})$$

where *i* is for each time the human needs to wait, *wi* is the amount of wait time *i*, and Ψ is sum HRI determined function we used quadratic) Note this is not necessarily total execution time.

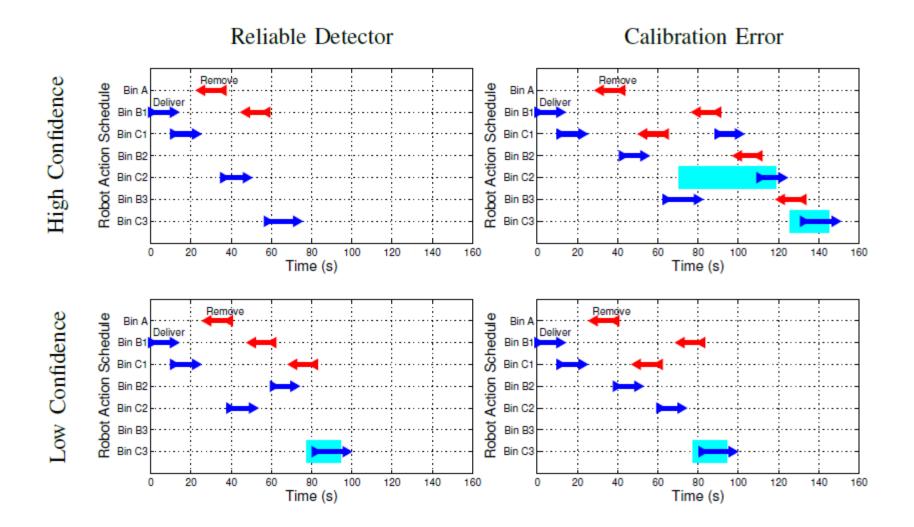
Planning is a heuristic over the independently considered intervals.

Planning in action



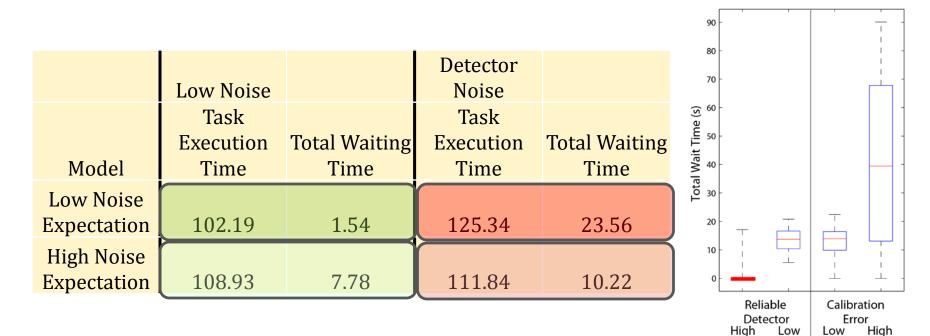


Certainty of belief affects plan



Simulation

• Can explicitly vary *expected uncertainty* with *actual uncertainty* (or variability)



Conf.

Conf.

Conf.

Conf.

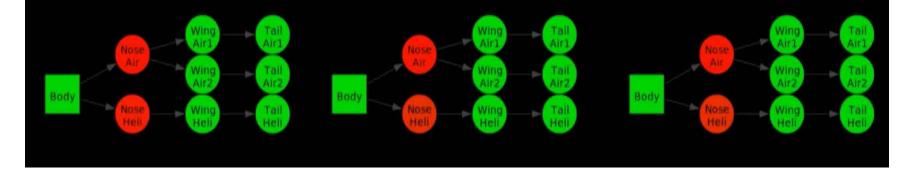
Working with the robot



Task indeterminacy







Conclusions

- Three sources of uncertainty in a robot needing to anticipate human action:
 - Variation in what the human does
 - Variation in how they do it (speed)
 - Uncertainty in perceptual sensing
- Main idea: reason about the likely timing of the start and end of sub-actions given evidence observed so far.
- Automatic conversion from task-level specification
 - Learn probability models from limited data (???)
- (Some) Open problems: learning the grammar, detection of being "off-task"